



Design Analysis of Reverse Acting Grate for Solid Waste Mixing in a Combustion Chamber



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Background

The drying, volatilization, and combustion phenomena during the travel of the solid waste fuel over the grate depend on a large number of parameters

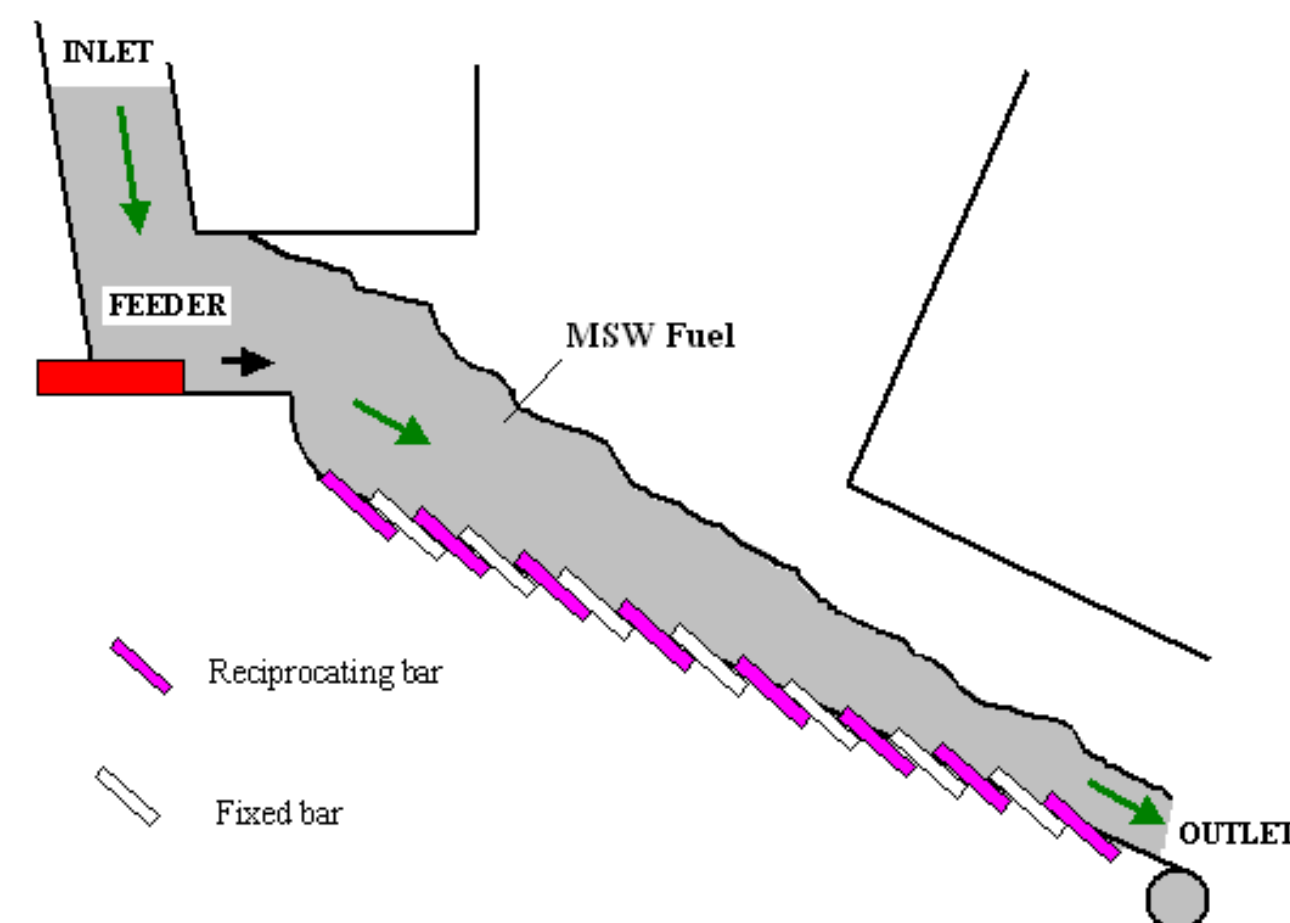
Reverse Acting Grate System in a Waste-to-energy Combustion Chamber

- The physical and chemical properties of the diverse particles in MSW that vary widely in size, shape, density, moisture, chemical composition, and calorific value; and also the design of the grate and combustion chamber.

Objectives

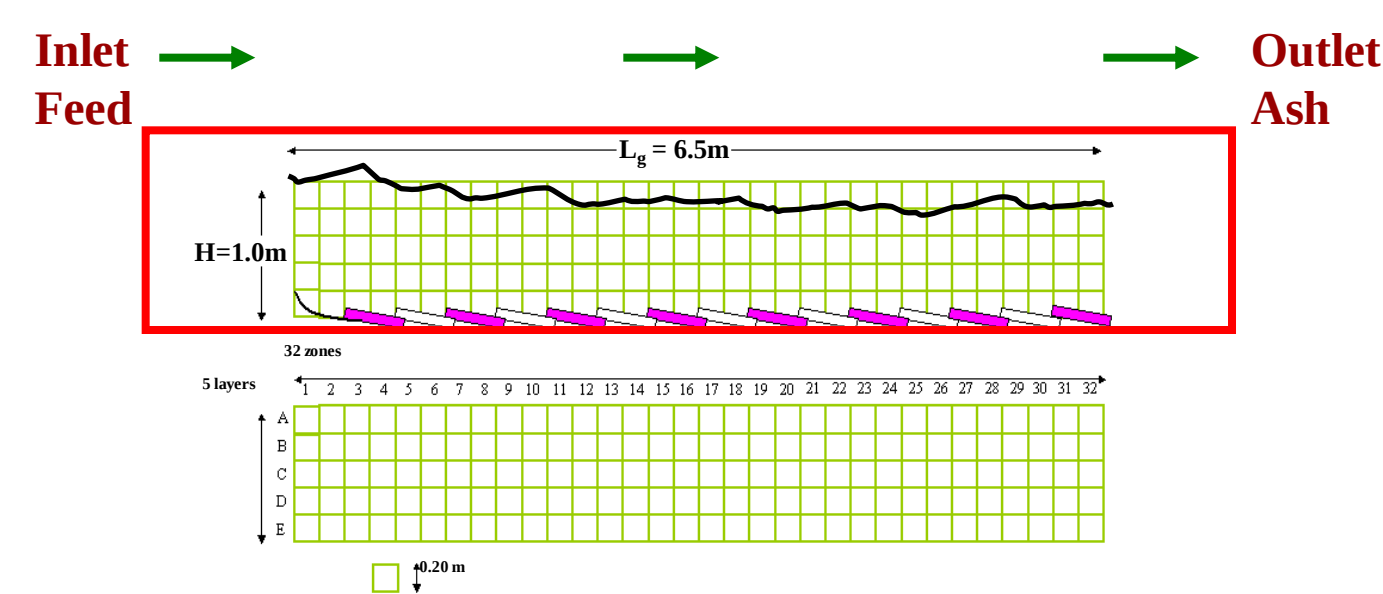
Providing a better tool for understanding effects of solid flow and mixing by a traveling grate

- Developing a mathematical model to characterize and quantify flow and mixing processes of the highly non-homogeneous MSW.
- Simulating the behavior of solid waste particles with transport and combustion phenomena.



Stochastic Modeling

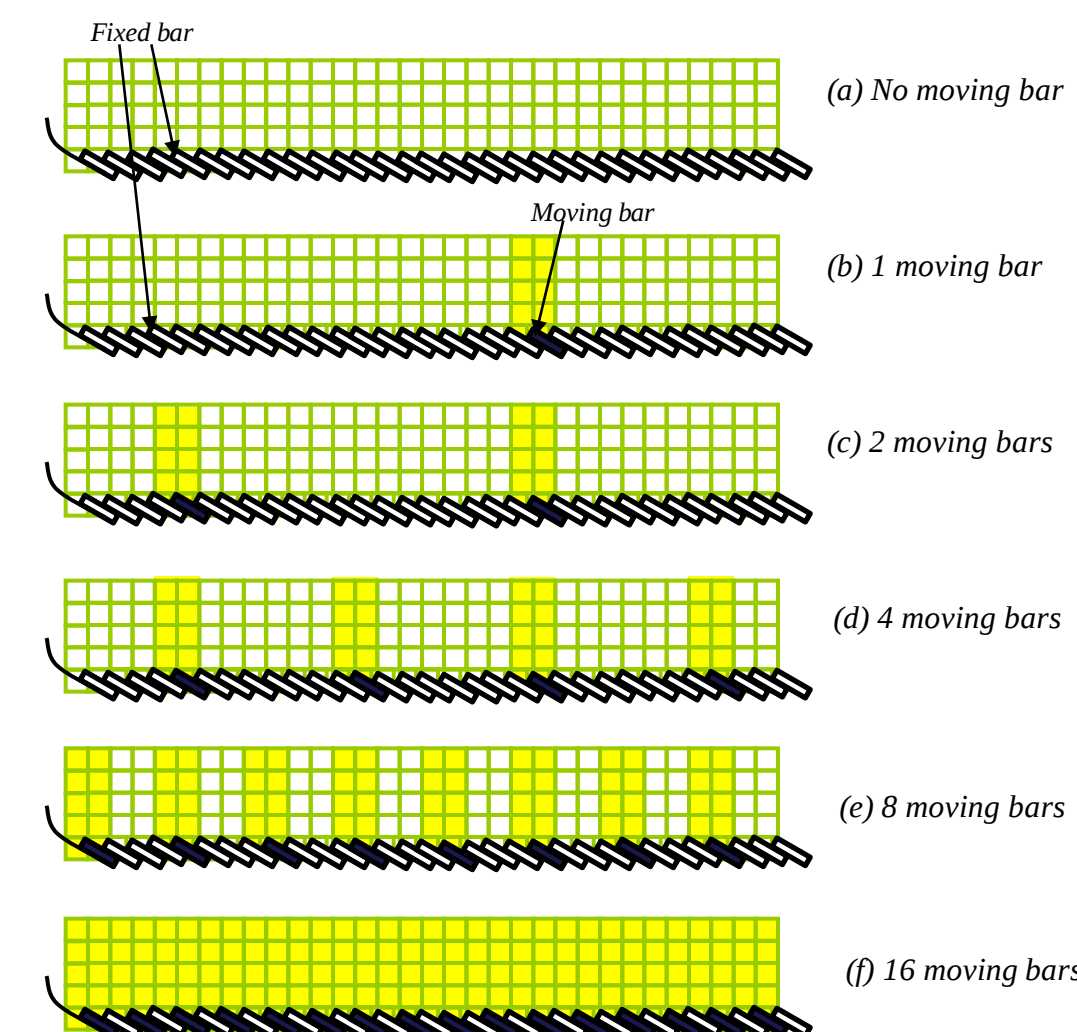
2-D Mixing Simulation



- Each cell is divided into 5 layers (Layer A top of bed and Layer E next to the surface of grates)
- Interchange of particles between successive cells : the first cell of the model represents the inlet and the cell 32 represents the position next to the ash bin.

Moving Bars

The position of the moving bars (0, 1, 2, 4, 8, and 16 bars) at the reverse-acting grate:



Transition Matrix

The rule governing the particle migration through the system is represented by a matrix:

Current Distribution = (Initial Distribution * n th power of Transition Matrix)

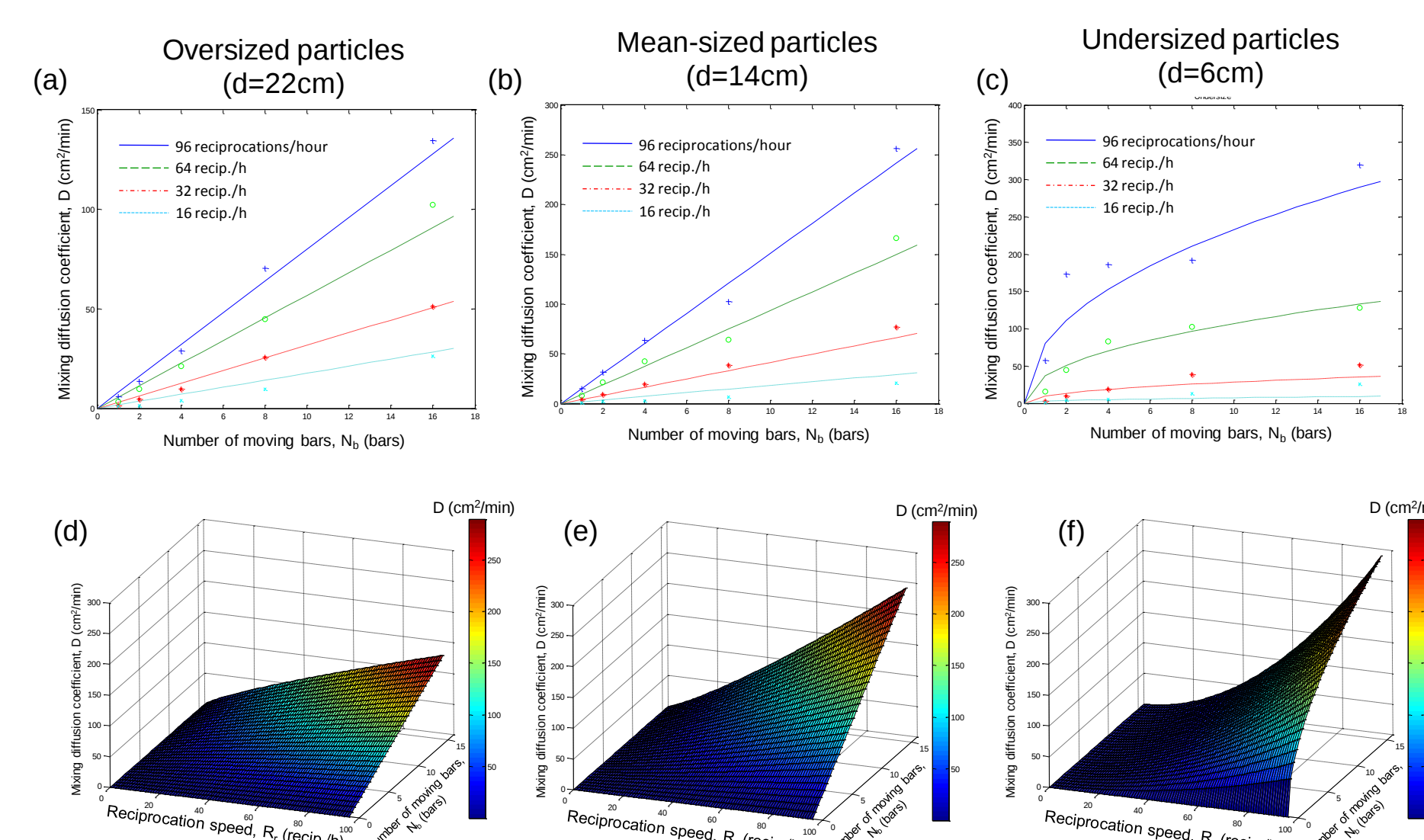
$$S(n) = S(0) P^n$$
$$S(0) = \begin{bmatrix} 1 & 0 & \dots & 0 \end{bmatrix}$$
$$P = \begin{bmatrix} p_{11} & \dots & p_{1,162} \\ \dots & \dots & \dots \\ \dots & \dots & p_{j,k} \\ \dots & \dots & \dots \\ p_{162,1} & \dots & p_{162,162} \end{bmatrix}$$

Initial Distribution of MSW

The Transition Matrix

Calculation Results

The relationship among the mixing diffusion coefficients D, number of moving bars Nb, and Reciprocation speeds Rr



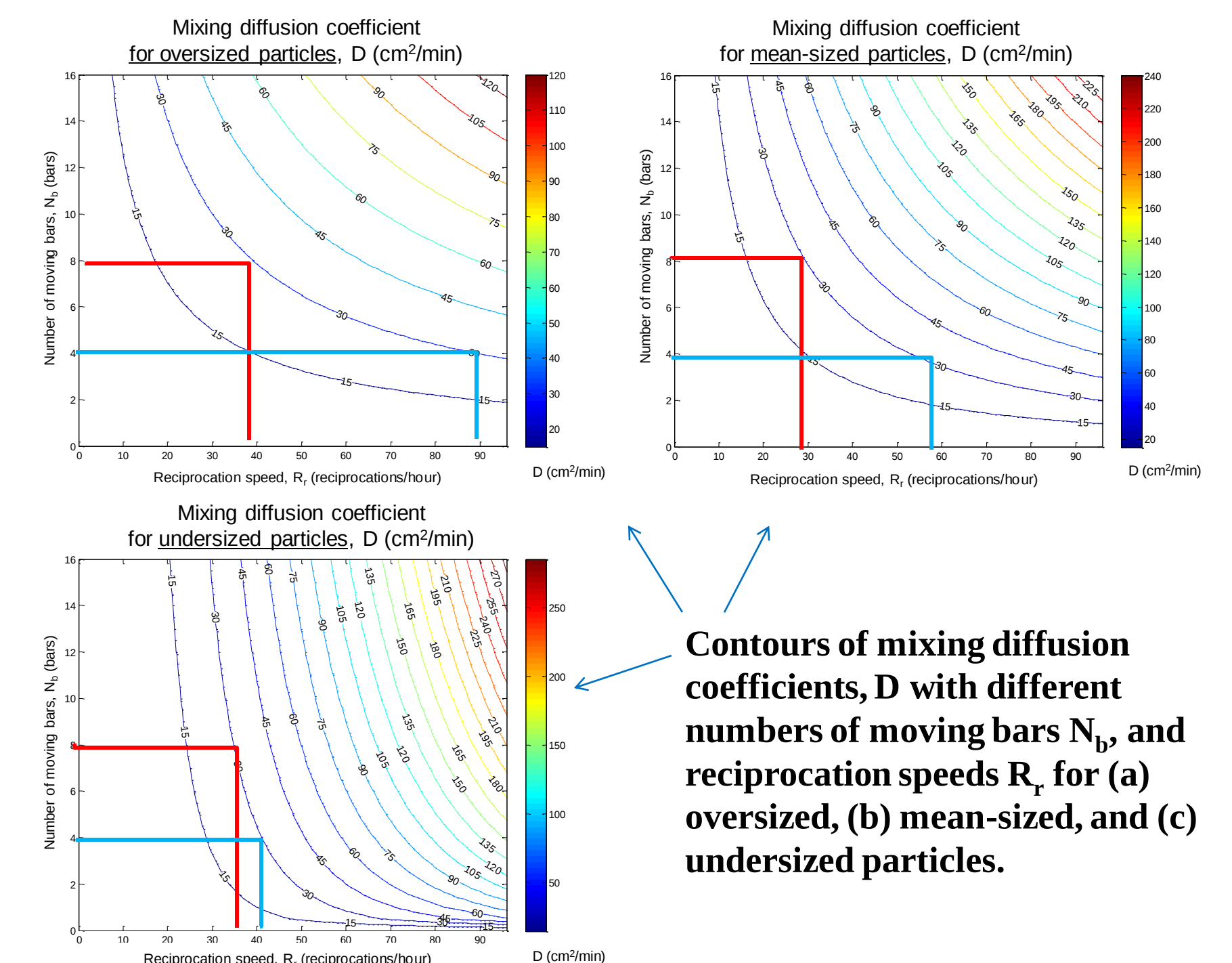
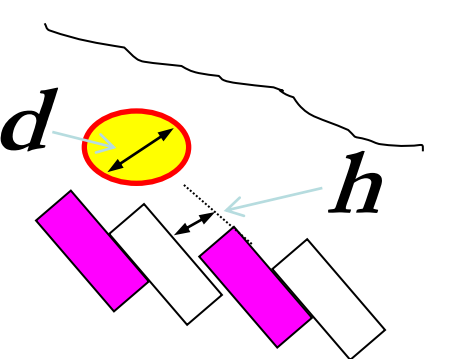
Discussion

Mixing Diffusion Coefficients, D

$$D(N_b, R_r, d, h) = \begin{cases} a \left(\frac{d}{h} \right)^2 \cdot N_b^{\left(\frac{d}{h} \right)} \cdot R_r^{\left(\frac{h}{d} - b \right)} & \text{if } d < h \\ a \left(\frac{d}{h} \right)^2 \cdot N_b^{\left(\frac{h}{d} + b \right)} \cdot R_r^{\left(\frac{h}{d} - b \right)} & \text{if } d \geq h \end{cases}$$

a, b: constant
d: diameter of MSW particle (cm)
h: height of moving bars (cm)
De: mixing diffusion coefficient (cm²/min)
Rr: reciprocation speed of moving bars (recip./hour)

The ratio d/h is very important



Contours of mixing diffusion coefficients, D with different numbers of moving bars Nb, and reciprocation speeds Rr for (a) oversized, (b) mean-sized, and (c) undersized particles.

Conclusion and Future Work

2-dimensional model of MSW mixing on the Martin reverse-acting grate (RAG) with different number of moving bars (0-16 bars) was developed for quantifying mixing degree and number of moving bars.

The study resulted in the following conclusions:

a) The number of moving bars (from 0 to 16 bars) of a reverse-acting grate results in a net effect of increasing the mean residence time of small and medium sized particles by 24 % and 6%, respectively, while decreasing that of large particles by 13%.

b) Calculations of the mixing diffusion coefficient D with different numbers of moving bars and reciprocation speeds showed that the oversized particles are mixed more when number of moving bars equipped increases, while undersized are mixed more when reciprocation speed increases.

Future work:

a) Experimental Work: using an infrared camera (FLIR E40), test heat transfer among MSW particles in a backed bed above the reverse acting grate of physical model

b) Mathematical Work: integrating a heat transfer model to the stochastic mixing model.



Infrared Camera (FLIR E40)